# **Transport of Indirect Excitons in High Magnetic Fields**

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# **Indirect Excitons**





These properties allow for:

- basic studies: exciton transport, spin transport, interaction, kinetics, coherence, condensation, composite bosons in strong magnetic field regime
- development of excitonic devices: excitonic transistors, traps, ramps, lattices, conveyers

#### **High Magnetic Field Regime for Excitons**

High magnetic field regime for composite bosons:

 $\hbar \omega_c \ge E_b$  cyclotron energy  $\ge$  binding energy

This requires:

~ 10<sup>6</sup> Tesla for atoms

#### Only a few Tesla for excitons

due to large  $\hbar\omega_c = \hbar eB/(\mu c)$ and small  $E_b \approx (\mu e^4)/(2\epsilon^4 \hbar^2)$ 

because of small mass and  $\varepsilon > 1$ 

High magnetic field regime for excitons is achievable in lab



UCSD optical dilution refrigerator

- 40 mK bath temperature
- 16 Tesla magnetic field

#### IXs are a model system for studying cold bosons in high magnetic fields:



High magnetic field regime for excitons is achievable in lab

# **Indirect Excitons in High Magnetic Fields**



 $M = m_e + m_h$ 

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- dispersion determined by coupling induced by  $r_{e,h} = k l_B^2$ magnetic field  $l_B = (\hbar c/eB)^{1/2}$
- M depends on B, independent of  $m_e$  and  $m_h$  M(B)  $\propto B^{1/2}$

# **Indirect Excitons in High Magnetic Fields**





laser excitation centered at x = 0

# **Transport of 0e-0h IMX**



0e - Oh IMX PL intensity enhanced outside the excitation spot → IMX inner ring



#### **Transport of 0e-0h IMX**

0e - 0h IMX transport length decreases with increasing magnetic field → IMX mass increase



# Transport of 1e-1h and 2e-2h IMXs

1e - 1h and 2e-2h IMX transport distance is smaller than for 0e - 0h MX → energy relaxation



#### **Transport of 0e-0h IMX vs Density**



#### **Numerical Simulations of IMX Transport**

The exciton system was modeled by solving coupled differential equations:

drift-diffusion equation
$$\frac{\partial n}{\partial t} = \nabla D \nabla n + \mu_x n \nabla (u_0 n) + \Lambda - \frac{n}{\tau}$$
  
diffusion $\frac{\partial n}{\partial t} = \nabla D \nabla n + \mu_x n \nabla (u_0 n) + \Lambda - \frac{n}{\tau}$   
exciton  
generation $\frac{\partial n}{\partial t} = \nabla D \nabla n + \mu_x n \nabla (u_0 n) + \Lambda - \frac{n}{\tau}$   
optical  
generationheat balance equation $\frac{\partial T}{\partial t} = S_{pump} - S_{phonon}$   
heating due to  
laser excitation $cooling throughphonons$ 

In magnetic field:

• D and  $\mu_x$  inversely proportional to MX effective mass, M(B)

# **Numerical Simulations of IMX Transport**



# Conclusion



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